

17-1 (a-h on your own)

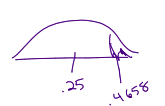
i) Let  $p =$  the prop. of all people <sup>population</sup> who would pick the RF <sub>variable</sub>

j)  $H_0: p = .25$  all tires = likely  
 null hypothesis (assumption)

k)  $H_a: p > .25$  people are more likely to pick RF  
 alternate hyp.

l)  $z = \frac{.4658 - .25}{.0501} = 4.26$   
 test statistic

$\sigma_p = \sqrt{\frac{.25(1-.25)}{73}} = .0501$



m)  $Pr(z \geq 4.26) \approx 0$  p-value

n) very unlikely  
 less than all levels: 10%, 5%, 1%  
 the prob. of getting 47% or more in the sample to say RF, IF the actual prop. to say RF is 25%

Significance level

$\alpha$  "cut-off"  
 if p-value is  $< \alpha$  (prob) / (sign. level) then it's unlikely (stat. sign.)

test decision

reject  $H_0 \rightarrow$  is sign. (p-value is small)  
 fail to reject  $H_0 \rightarrow$  not sign. (p-value > sign. level)

o)  $np \geq 10$  and  $n(1-p) \geq 10$   
 (in e)

- SRS from pop. of interest
- not a random sample (her students)
- but could be considered representative of all students

p) With a p-value of  $\approx 0$ , this is significant at the 1% level.  
 There is enough evidence to reject  $H_0$ .  
 People seem to be more likely to choose RF.